Lecture 14: Surface Chemistry and Adsorption

Solid-solution interactions

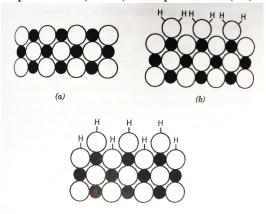
- Chemical reactions in natural waters often occur on the surfaces of solid particles
 - Minerals such as clays, metal (hydr)oxides, carbonates, sulfides hydrophilic interactions
 - $\circ~$ Particulate organic matter (> 0.5 μm diameter) hydrophilic and hydrophobic interactions
- Some particles that scavenge metal and organic contaminants are useful in remediation systems

Solid particles have surfaces with topographic and chemical variabilities that create high energy <u>sites</u> where reactions can occur

- What type of sites exist?
- What are the properties of these sites?
- How do these sites change as a function of pH?

How do mineral surfaces acquire charge?

- 1) *Isomorphic substitution* in the crystal lattice generates net charge on the mineral (e.g., when Al³⁺ substitutes for Si⁴⁺ in tetrahedral layer of a silicate)
- 2) *Ionizable functional groups* that occur on surfaces change charge depending on pH, which controls degree of protonation
 - For example, many mineral surfaces can be regarded as a plane of hydroxyl (OH) groups that can protonate (OH_2^+) or deprotonate (O^-) to create a charged surface



3) *Specific adsorption* of ligands onto a mineral surface (*surface complexation reaction*) changes the charge on the surface

Example: phosphate (HPO₄²⁻) binding to an aluminum hydroxide surface (\equiv Al-OH) \equiv Al-OH + HPO₄²⁻ $\rightarrow \equiv$ Al-OPO₃²⁻ + H₂O

Mineral surface charge as a function of pH

Acid-Base Reactions on Surfaces - Protonation and deprotonation of a mineral surface can give it a(+) or (-) charge

Protonation/Deprotonation of Hydroxyl groups represented as chemical reactions:

Hydroxyl ions on a surface (=S) can deprotonate: =S-OH \rightarrow =S-O⁻ + H⁺ Or be protonated: =S-OH + H⁺ \rightarrow =S-OH₂⁺

These reactions can be described by equilibrium constants!

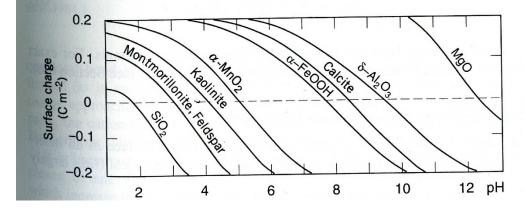
$\equiv S-OH + H^+ \rightarrow \equiv S-OH_2^+$	$K_{a1} = [\equiv S-OH][H^+]/[\equiv S-OH_2^+]$
$\equiv \text{S-OH} \rightarrow \equiv \text{S-O}^- + \text{H}^+$	$K_{a2} = [\equiv S-O^{-}][H^{+}]/[\equiv S-OH]$

*here, [H⁺] indicates the activity of H⁺ at the surface of the solid which is different from the bulk solution due to attraction/repulsion with charged surface

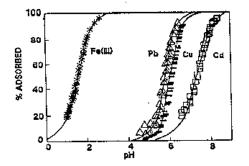
Zero Point Charge (PZC)

- the pH where the <u>net</u> charge on a surface is zero (aka *isoelectric point*)
- At pH_{PZC}, sum of (+) sites = sum of (-) sites

Surface charge as a function of pH for various minerals:



pH-dependent surface charge drives ion adsorption:



Reactions at mineral surfaces

Topographic and chemical variability (interfaces) create high energy <u>surface sites</u> where reactions can occur due to interactions between forces

- 1. chemical forces (covalent bonds)
- 2. electrostatic interactions
- 3. dipole-dipole interactions
- 4. van der Waals forces
- 5. hydrogen bonding
- **Sorption** the processes by which solutes partition onto solid surfaces or into solid matrices (see diagram in notes)

Absorption - solute is incorporated into the solid matrix of the particle

- Adsorption attachment of a solute to the surface of a solid or the accumulation of solutes in the near vicinity of a surface
 - 1. Physical adsorption weak interactions, e.g. van der Waals forces
 - 2. *Electrostatic adsorption* ions are attracted to a surface of the opposite electrical charge (e.g. **outer-sphere complex**)
 - 3. *Chemical adsorption* chemical bonding between the solute and atoms on the solid surface (e.g. **inner-sphere complex**)

The concentration and chemistry of sorption sites determines what kind and how much of a solute can bind to a surface

Concentration of sorption sites can be calculated as: $\Gamma_{SOH} = \frac{N_S SSA C_S}{N_A}$

Where Γ_{SOH} = Concentration of sorption sites (mol sites/L solution)

 $N_S = Surface site density (sites/m²)$

 $SSA = Specific surface area (m^2/g) = surface area (S_A) divided by the sorbent mass$

 C_S = concentration of sorbent (g sorbent/L solution)

 N_A = Avogadro's number (sites per mole) = 6.022 x 10²³

How do we measure surface area, S_A?

- Geometrically, approximating each particle as a sphere: S_A (sphere) = $4\pi r^2$
- BET (Brunauer-Emmett-Teller) surface area experimentally measure how much gas (e.g., N₂) adsorbs to a surface; more accurate; better able to fill in nooks and crannies

 S_A generally increases with decreasing grain size (see diagram in slides) Specific surface area (SSA; m²/g): the total surface area per unit mass of solid material

How do we measure surface site density, N_S ? Adsorption of a reactive solute (or sorbate) to a surface:

- Protons (H⁺, e.g. mineral titration)
- Fluoride ions (F⁻)

Sorption Isotherms

Sorption of a solute to mineral surface *at constant temperature* can be modeled as a function of solution chemistry using simple equations

- Data is experimentally collected and modeled with different equations to find a best fit
- Each point on an isotherm represents an *equilibrium condition* where the solute has reached an equilibrium between the amount in solution and the amount adsorbed to the surface
- The isotherms we will discuss:
 - 1. Linear distribution coefficient
 - 2. Freundlich Isotherm
 - 3. Langmuir Isotherm

Linear distribution coefficient

$$m_{i,ads} = K_d m_{i,soln}$$

- $m_{i,ads}$ = concentration of a solute *i* sorbed to a surface (mol/kg)
- K_d = linear distribution coefficient; the value of K_d depends on the properties of the surface and solution; determined experimentally for each system and not easily transferred to other systems
- $m_{i.soln}$ = concentration of solute *i* that remains in solution at equilibrium (mol/L)

Freundlich Isotherm

$$m_{i,ads} = K_d m_{i,soln}^n$$

- $m_{i.ads}$ = concentration of a solute *i* sorbed to a surface (mol/kg)
- K_d = Freundlich distribution coefficient
- $m_{i,soln}$ = concentration of solute *i* that remains in solution at equilibrium (mol/L)
- n = Exponent (< 1) that limits adsorption at higher concentrations

Langmuir Isotherm

Expresses sorption as a function of available binding sites $(m_{i,max})$

$$m_{i,ads} = m_{i,max} \frac{K_{Lang} m_{i,soln}}{1 + K_{Lang} m_{i,soln}}$$

- $m_{i,ads}$ = concentration of a solute *i* sorbed to a surface (mol/kg)
- $m_{i,max} = m_{i,ads} + m_{vacant}$
- $K_{Lang} =$ Langmuir adsorption coefficient
- $m_{i,soln}$ = concentration of solute *i* that remains in solution at equilibrium (mol/L)

Linear form of the equation (plotted as $m_{i,soln}/m_{i,ads}$ (y-axis) vs $m_{i,soln}$ (x-axis)):

$$\frac{m_{i,soln}}{m_{i,ads}} = \frac{1}{K_{Lang}m_{i,max}} + \frac{m_{i,soln}}{m_{i,max}}$$

The isotherm flattens at high concentrations because surface sites become gradually saturated

• Cation exchange reactions are well approximated by Langmuir isotherms because the adsorbed ions can never be greater than the number of exchange sites

Factors that influence adsorption

- 1. Surface charge f(pH, mineralogy, surface site density)
- 2. Solute charge f(pH, solute)
- 3. Surface area
 - Small particles \rightarrow high SA \rightarrow more adsorption